



Bilinear CNN Models for Fine-grained Visual Recognition

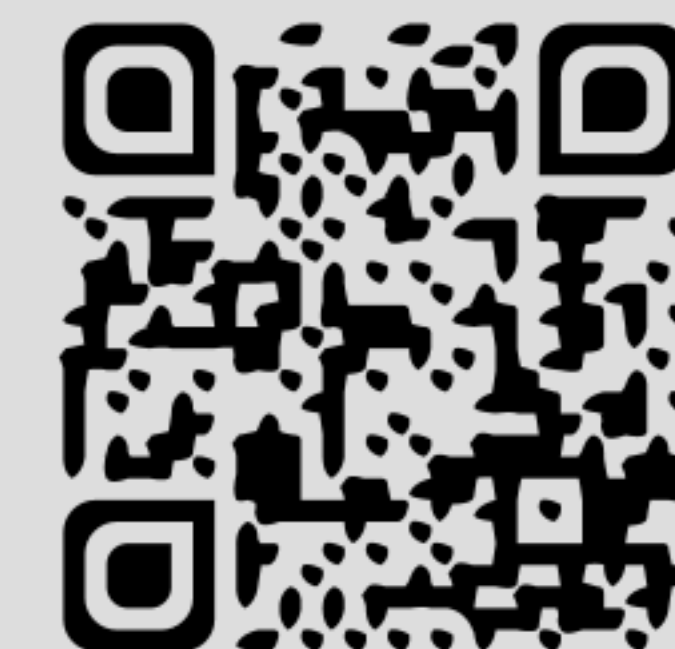
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<http://vis-www.cs.umass.edu/bcnn>



Code Available

Task: Fine-grained recognition

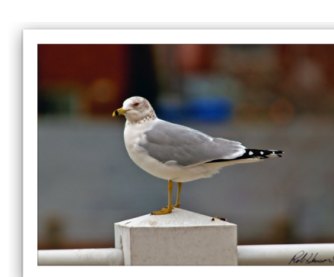
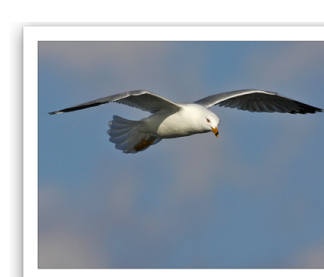
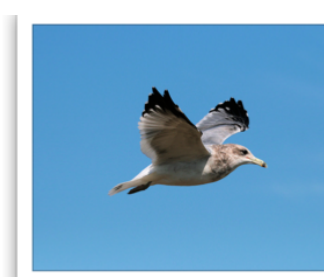
- ♦ **Example:** distinguish the two bird species



California gull



Ringed beak gull

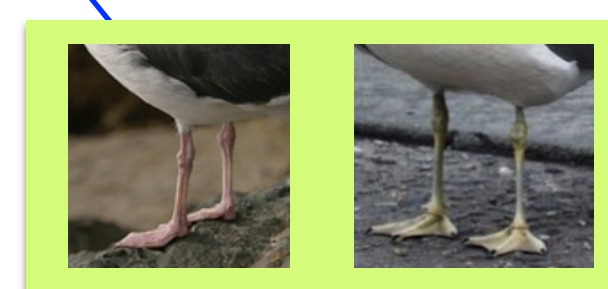
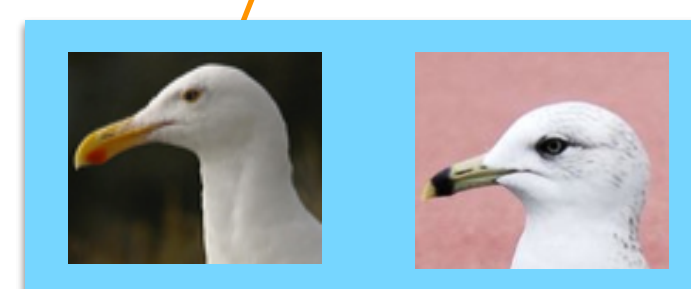
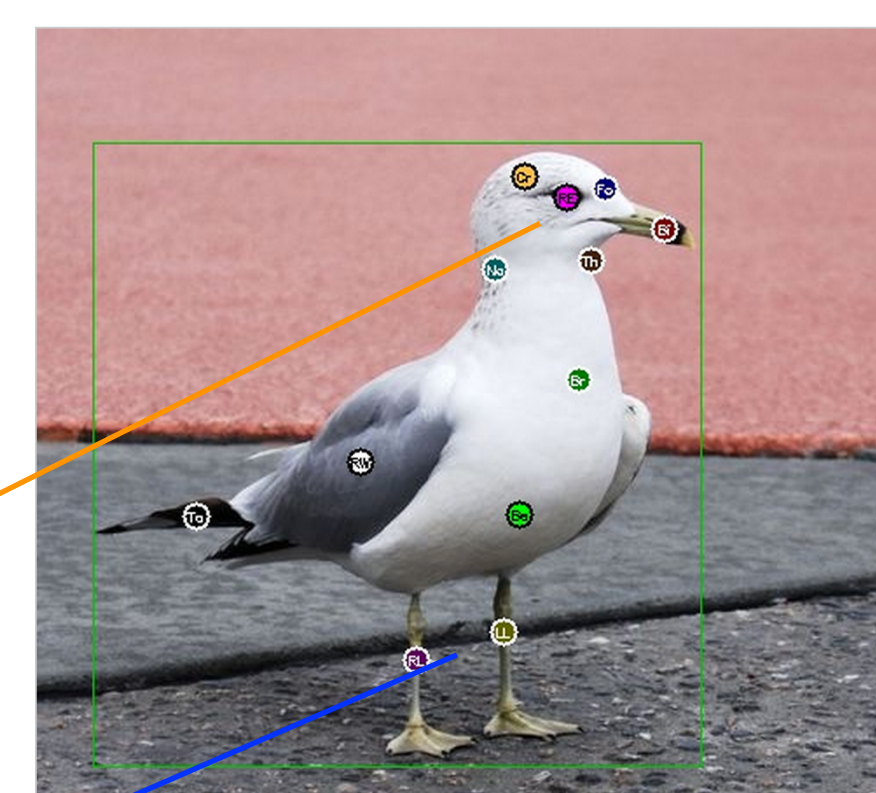
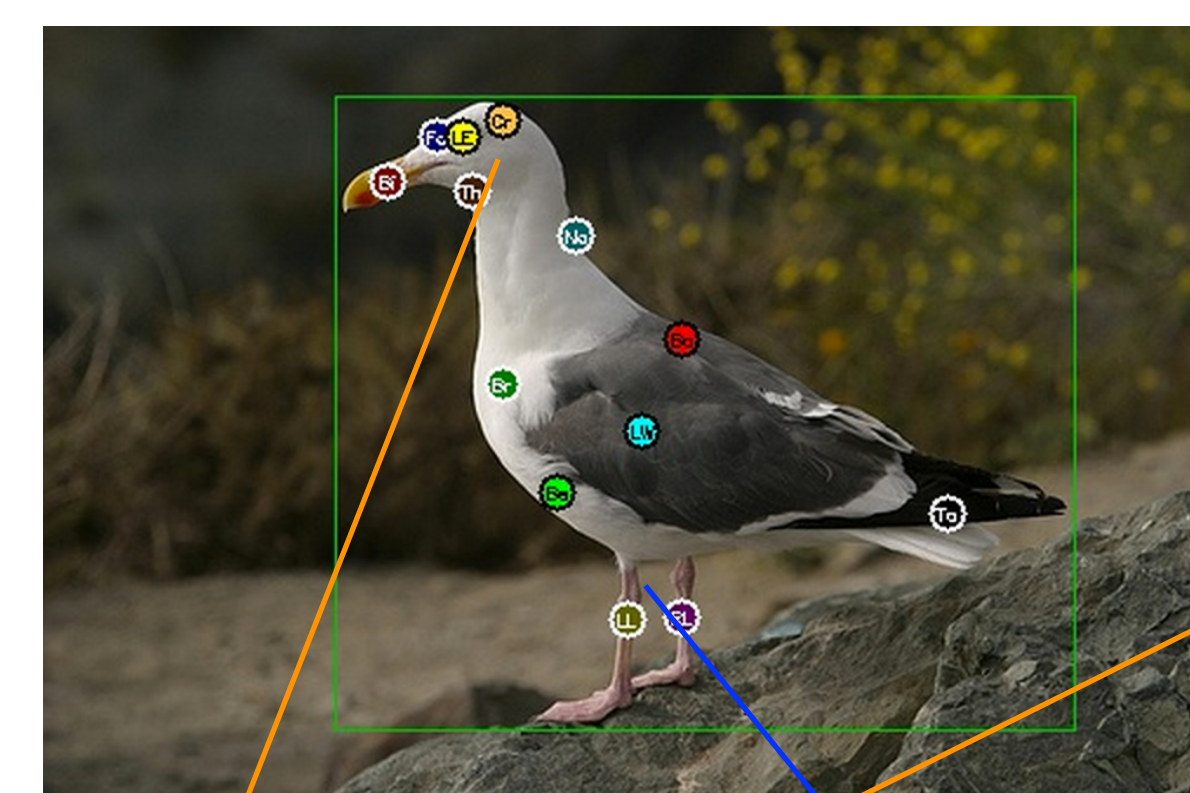


- ♦ **Challenge:** intra-category variation v.s. inter-category variation

- Location, pose, viewpoint, background, lighting, gender, etc

Approach 1: Part-based models

- ♦ **Localize parts** and **compare** corresponding locations



...

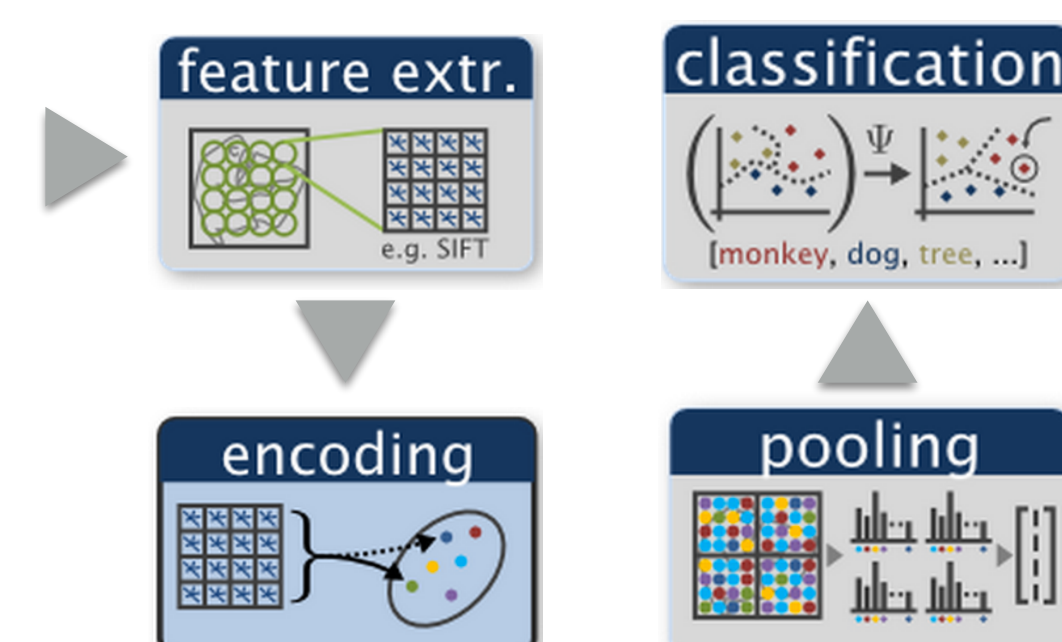
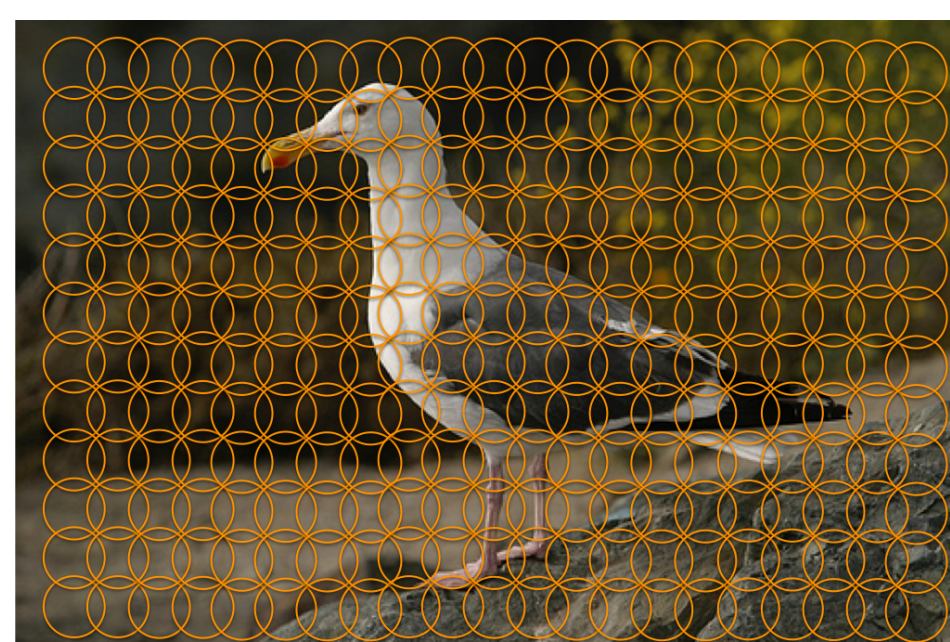
- ✓ Accuracy is high
- ✗ Part detection is slow
- ✗ Requires part annotation

Recent examples:

- ♦ **Part-based R-CNN** [2]
- ♦ **Pose normalized CNNs** [3]

Approach 2: Texture-based models

- ♦ **Image** as a collection of **patches**



- ✓ Can be trained w/ image labels
- ✓ Fast CPU implementations
- ✗ Lower accuracy

Examples:

- ♦ **Bag of visual words** [Csurka et al.]
- ♦ **Fisher vector** [Perronnin et al.]
- ♦ **VLAD** [Jégou et al.]

Goal: combine the best of both approaches

Proposed approach: Bilinear CNN model

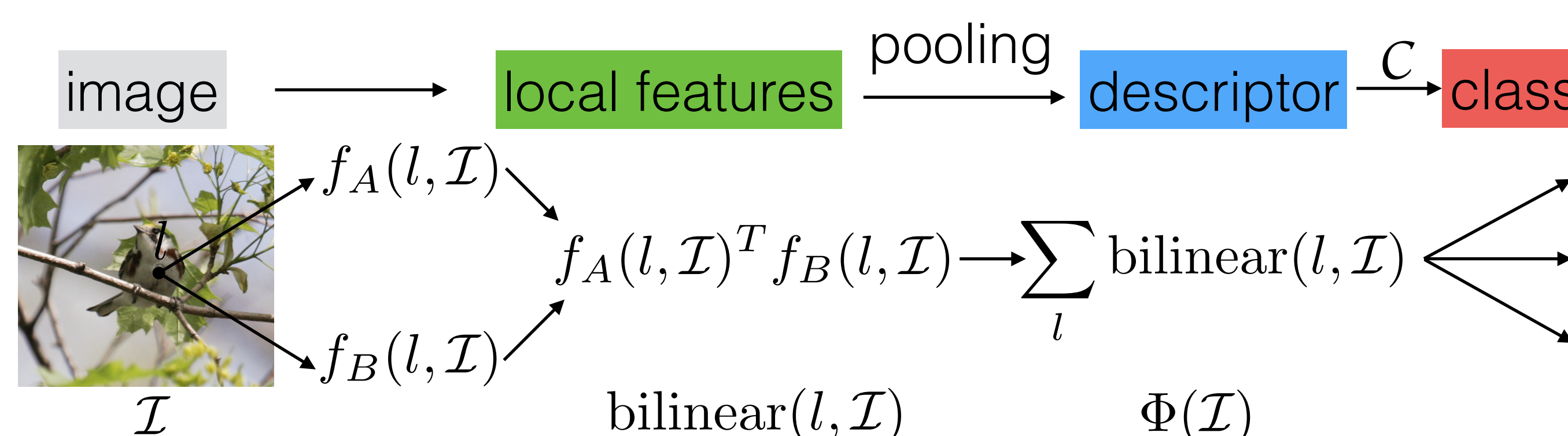
- ♦ **Bilinear model** is a four tuple:

$$f: \mathcal{L} \times \mathcal{I} \rightarrow R^{c \times D} \quad \mathcal{B} = (f_A, f_B, \mathcal{P}, \mathcal{C})$$

feature extractor pooling classification

- ♦ **Classification pipeline:**

1. For each location l , extract features $f_A(l, \mathcal{I})$ and $f_B(l, \mathcal{I})$
2. Take the outer product: $\text{bilinear}(l, \mathcal{I}) = f_A(l, \mathcal{I})^T f_B(l, \mathcal{I})$
3. Pool across locations: $\Phi(\mathcal{I}) = \sum_l \text{bilinear}(l, \mathcal{I})$
4. Predict class probability: $\text{softmax}(\mathbf{w}^T \Phi(\mathcal{I}))$



- ♦ **Motivation:**

- Model **pairwise feature** interactions in a **translationally invariant** manner
- **Compositional** features — $O(n^2)$ representation with $O(n)$ features
- **End-to-end** learning of parameters

Experiments

- ♦ **Classification accuracy:**

- Using **image labels** only (**no** part or bounding-box annotations)
- CNNs used: **VGG-M** [M] (Chatfield et al.) and **VGG-VERYDEEP-16** [D] (Simonyan et al.)

Method	CUB-200-2011		FGVC-Aircraft		Stanford Cars	
	w/o ft	w/ ft	w/o ft	w/ ft	w/o ft	w/ ft
Fisher vector SIFT FV-SIFT	18.8	-	61.0	-	59.2	-
Fully connected CNN FC-CNN [M]	52.7	58.8	44.4	57.3	37.3	58.6
(standard CNN w/ fc layer) FC-CNN [D]	61.0	70.4	45.0 → 74.1		36.5 → 79.8	
Fisher vector CNN FV-CNN [M]	61.1	64.1	64.3	70.1	70.8	77.2
(Cimpoi et al., CVPR 15) FV-CNN [D]	71.3 → 74.7		70.4 → 77.6		75.2 → 85.7	
Bilinear CNN B-CNN [M,M]	72.0	78.1	72.7	77.9	77.8	86.5
(proposed approach) B-CNN [D,M]	80.1 → 84.1		78.4 → 83.9		83.9 → 91.3	
B-CNN [D,D]	80.1	84.0	76.8	84.1	82.9	90.6
Previous Work	84.1 [1], 73.9 [2], 75.7 [3]		80.7 [5]		92.6 [4], 82.7 [5]	

- ♦ **Effect of fine-tuning:**

- **FC-CNN:** big improvements on aircrafts (**29%**) and cars (**43%**)
- **FV-CNN:** Indirect fine-tuning, i.e. using fine-tuned FC-CNN for FV-CNN, leads to **3-10%** improvement
- **B-CNN:** Fine-tuning improves results (**4-7%**)
- ♦ **Fairly efficient** during testing: **10 fps** for the **B-CNN** [D,D] model
- ♦ **Translational invariance:** **84.1%** (w/o b-box) vs **85.1%** (w/ b-box)

- ♦ **Bilinear models** generalize both **part-based** models and **texture** models

- If f_A is a **part detector** and f_B is a **color descriptor** then the outer product captures all part-color interactions (left)
- Classical texture descriptors such as the **Fisher vector** can be written as **bilinear model** with a suitable choice of f_A and f_B (right)

$$f_A$$

	beak	tail	belly	legs	belly
red					
blue					
gray					
blue					
black					

example "gray belly"

$$\alpha_i = \Sigma_i^{-\frac{1}{2}} (\mathbf{x} - \mu_i)$$

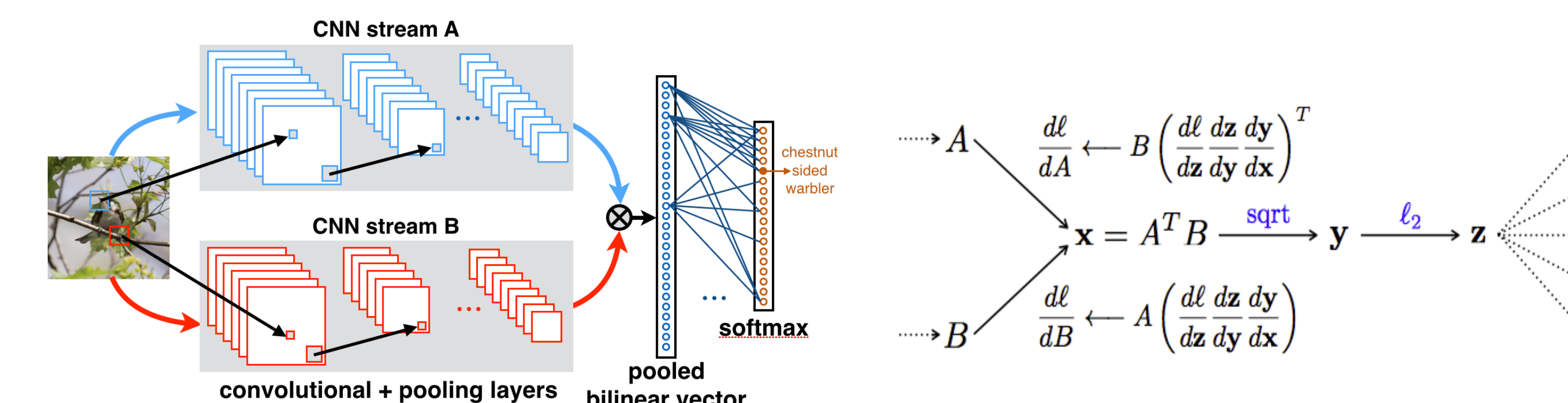
$$\beta_i = \Sigma_i^{-1} (\mathbf{x} - \mu_i) \odot (\mathbf{x} - \mu_i) - 1$$

$$f_A = [\alpha_1 \beta_1; \alpha_2 \beta_2; \dots; \alpha_k \beta_k]$$

$$f_B = \text{diag}(\eta(\mathbf{x}))$$

Fisher vector as a bilinear model

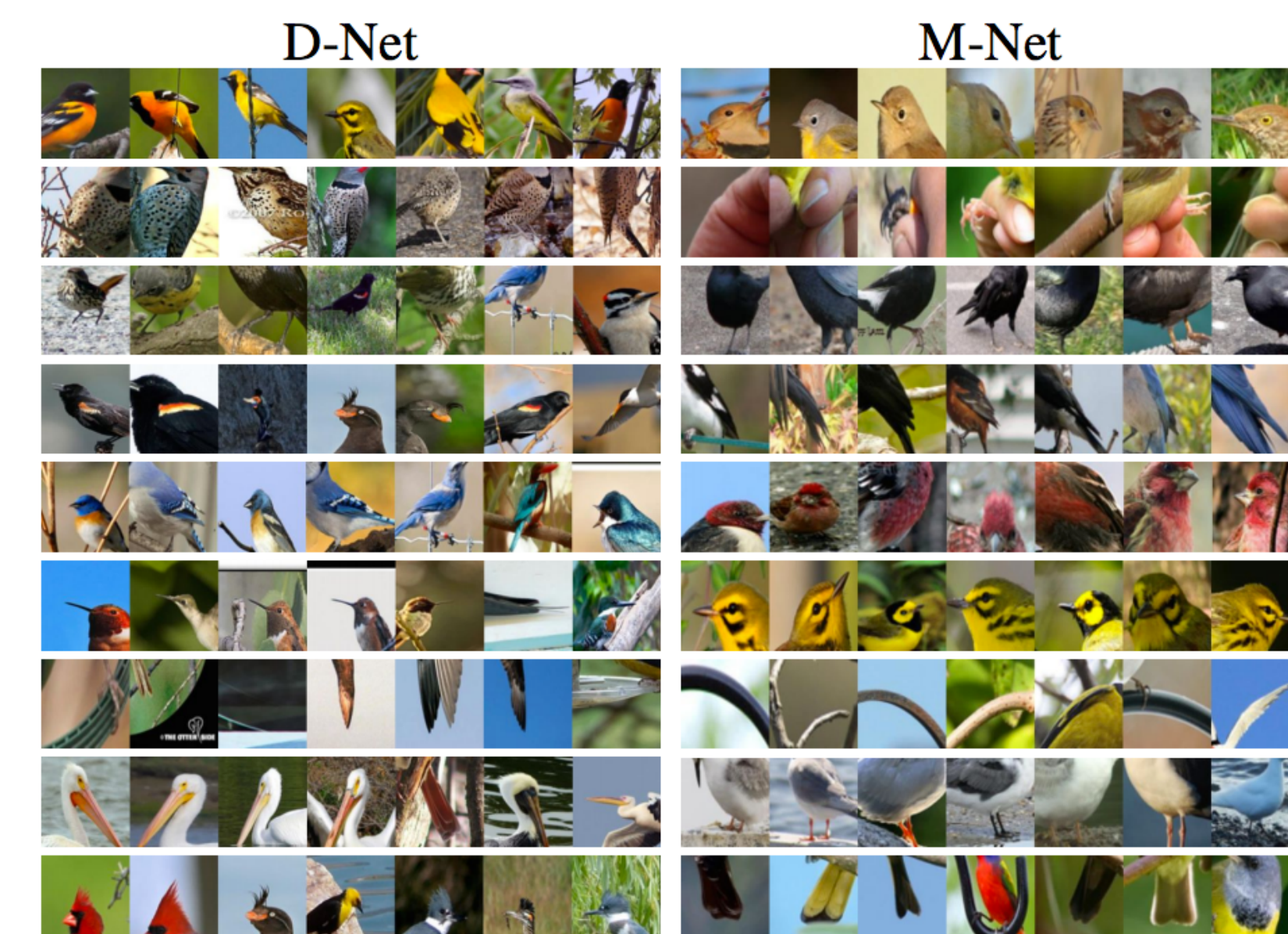
- ♦ **Training:** Extract f_A and f_B using separate CNNs



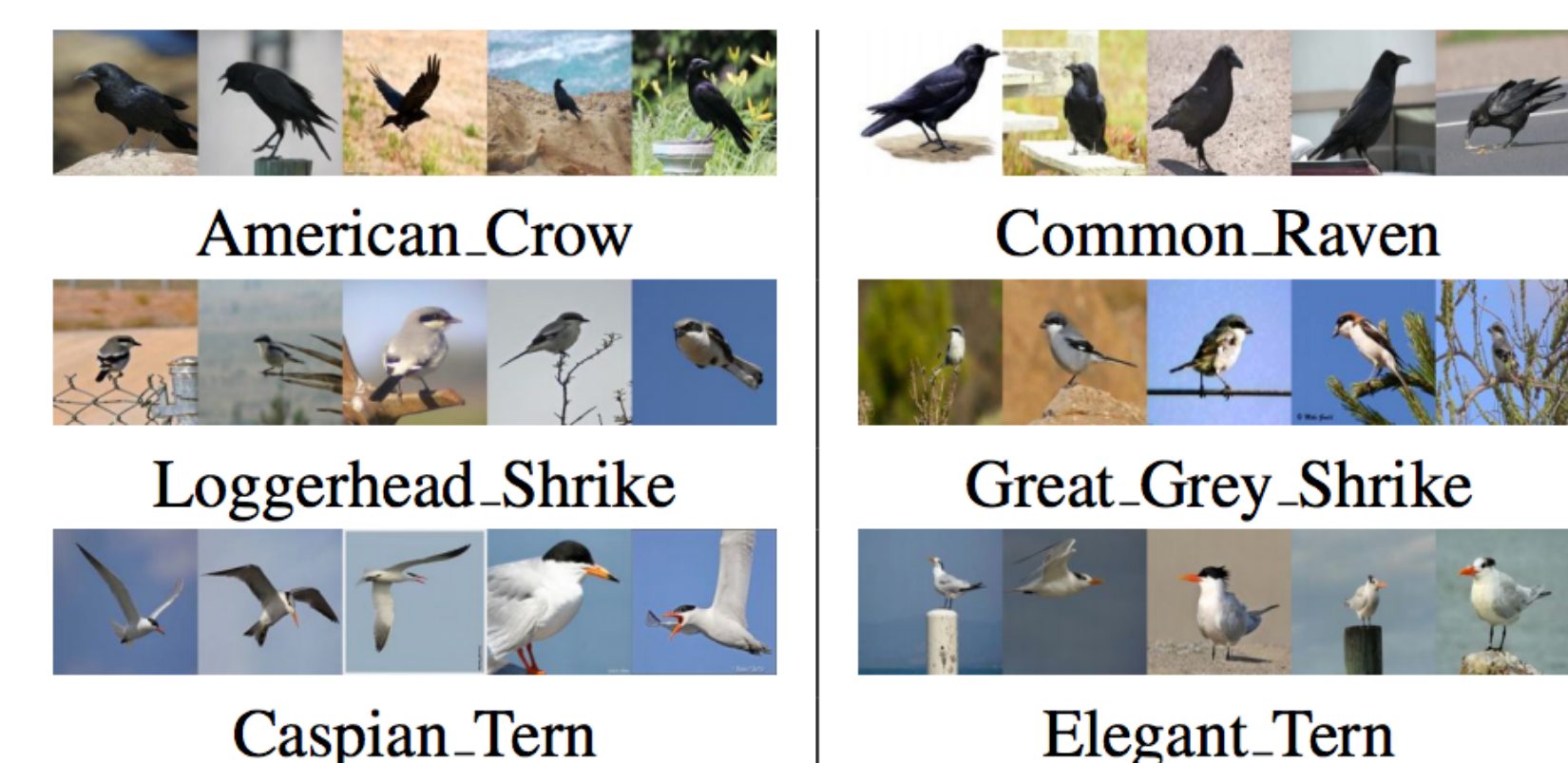
- **Back-propagation** though the **bilinear layer** is easy
- Allows **end-to-end** training with just using image labels (unlike Fisher vectors)
- Two **normalization layers**, square-root and l_2 normalization, improve results

- ♦ **Visualizations on the CUB dataset**

Top activations of various **conv5** filters in the fine-tuned **B-CNN** [D,M] model



Most confused class pairs



References

- [1] Spatial transformer networks, Jaderberg et al. NIPS'15.
- [2] Part-based R-CNN for fine-grained category detection, Zhang et al. ECCV'14
- [3] Bird species categorization using pose normalized deep convolutional nets, Branson et al., BMVC'14.
- [4] Fine-grained recognition w/o part annotations, Krause et al., CVPR'15
- [5] Revisiting the fisher vector for fine-grained classification, Gosselin et al., Pattern Recognition Letters, 2014.
- [6] Deep filter-banks for texture recognition and segmentation, Cimpoi et al., CVPR'14